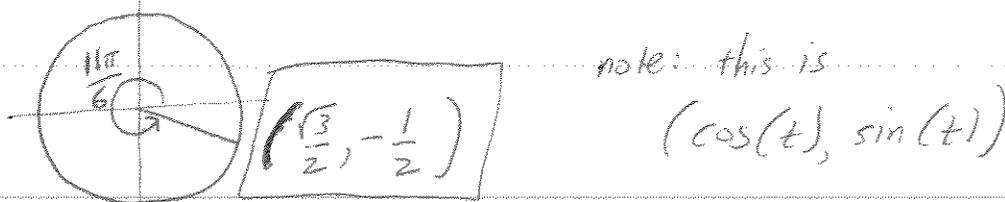


# M1060-2 QUIZ 2 (Spencer Stirling) - September 9, 2010

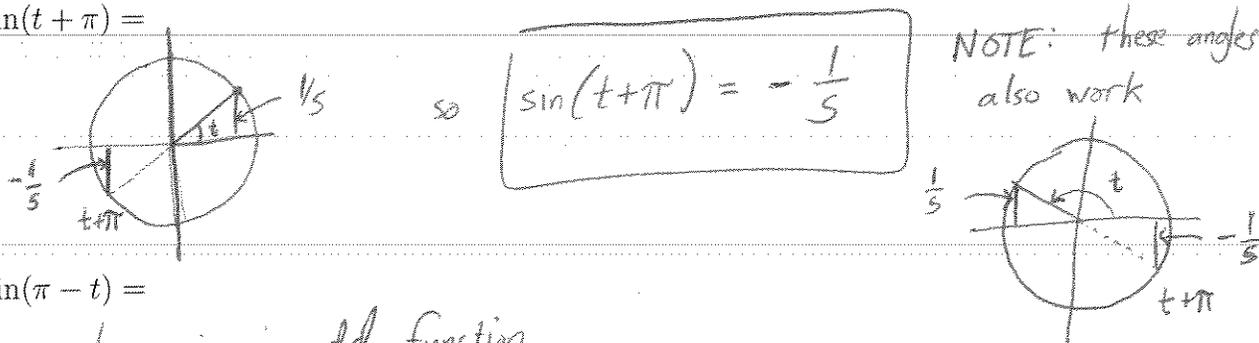
Directions: You may attach more sheets if necessary. SHOW ALL WORK and CLEARLY mark your solutions.

1) (2 points) Find the point  $(x, y)$  on the unit circle that corresponds to the angle  $t = \frac{11\pi}{6}$



2) (4 points) Suppose  $\sin(t) = 1/5$ . Using properties of the  $\sin()$  function (such as even/odd, etc), evaluate the following (hint: drawing the situation on the unit circle might help):

(a)  $\sin(t + \pi) =$

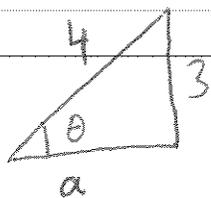


(b)  $\sin(\pi - t) =$

remember:  $\sin$  is odd function,

$$\text{so } \sin(\pi - t) = \sin(-(t - \pi)) = -\sin(t - \pi) = -(-\frac{1}{5}) = \frac{1}{5}$$

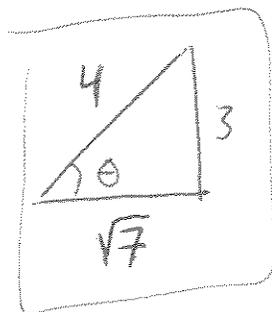
3) (3 points) Sketch a right triangle that satisfies  $\sin(\theta) = 3/4$ . Label the length of all of the legs (hint: use the Pythagorean theorem). Once you've done this, compute  $\cos(\theta)$ .



soh-cah-toa  $\sin(\theta) = \frac{\text{opp}}{\text{hyp}}$

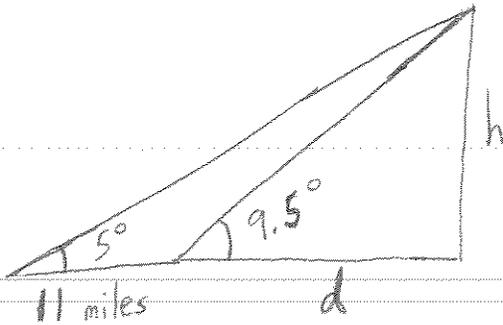
Now  $a^2 + 3^2 = 4^2 \Rightarrow a^2 = 7 \rightarrow a = \sqrt{7}$

so have



$$\cos(\theta) = \frac{\text{adj}}{\text{hyp}} = \frac{\sqrt{7}}{4} = \cos(\theta)$$

4) (5 points) In traveling across flat land, you notice a mountain directly in front of you. It's angle of elevation (to the peak) is  $5^\circ$ . After you drive 11 miles closer to the mountain, the angle of elevation is  $9.5^\circ$ . Approximate the height of the mountain.



Gather information:

$$\tan(5^\circ) = \frac{h}{11+d}$$

$$\tan(9.5^\circ) = \frac{h}{d} \Rightarrow d = \frac{h}{\tan(9.5^\circ)}$$

Plugging this into first equation we get

$$\tan(5^\circ) = \frac{h}{11 + \frac{h}{\tan(9.5^\circ)}}$$

solve for  $h$ :  $11(\tan(5^\circ)) + h \frac{\tan(5^\circ)}{\tan(9.5^\circ)} = h$

$$\text{so } 11 \tan(5^\circ) = h \left( 1 - \frac{\tan(5^\circ)}{\tan(9.5^\circ)} \right)$$

$$\Rightarrow h = \frac{11 \tan(5^\circ)}{1 - \frac{\tan(5^\circ)}{\tan(9.5^\circ)}} \Rightarrow h = \frac{0.962375 \text{ miles}}{0.447618}$$

$$h \approx 2.14999 \text{ miles}$$